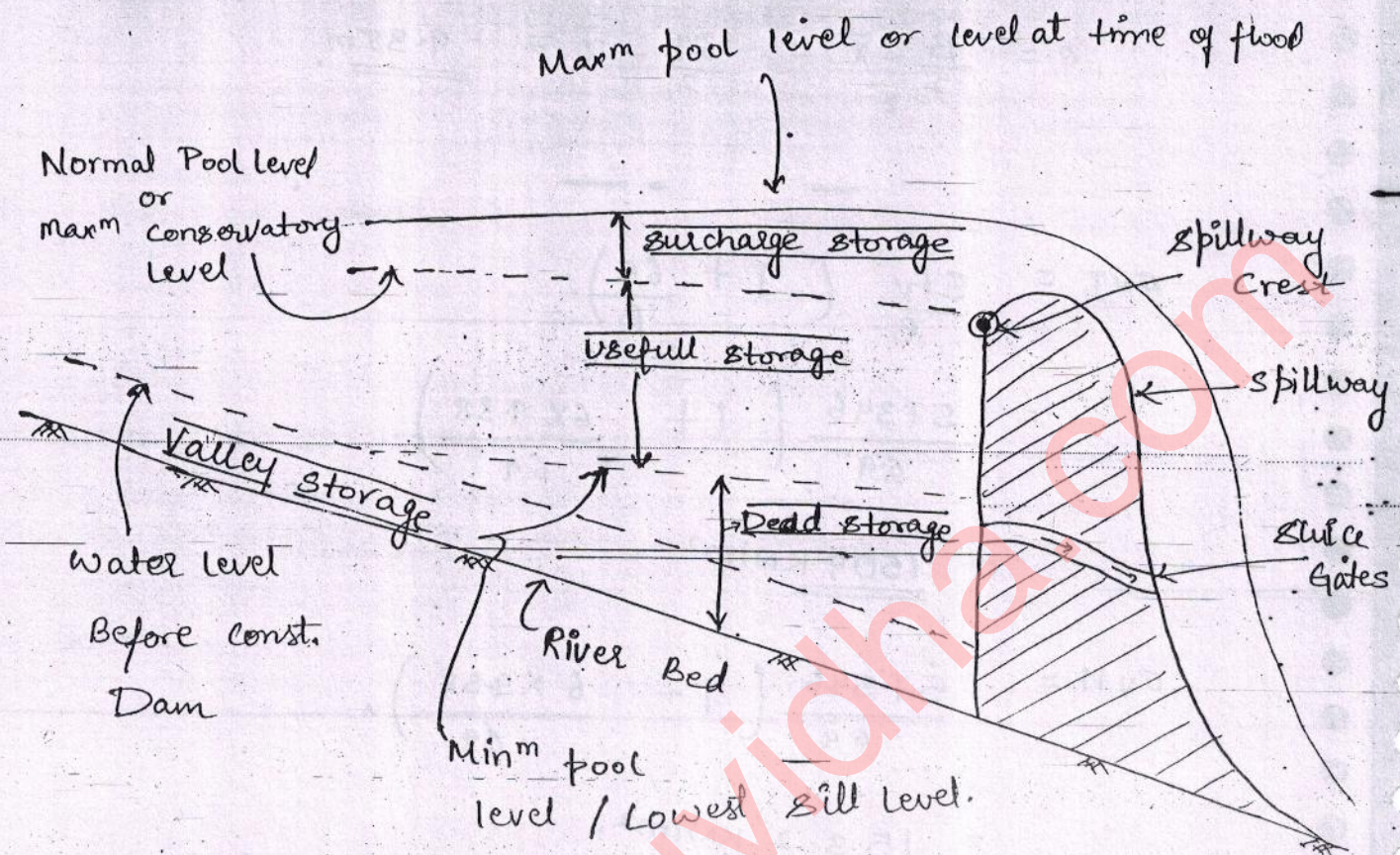


⇒ STORAGE ZONES IN RESERVOIR



→ MIN. POOL LEVEL

- it is the level corresponding to minm quantity of water that has to be kept in the reservoir for the ~~non~~ normal working of the reservoir.
- it is decided on the basis of lowest outlet level of the Reservoir.
- And minm Head reqd. for the efficient working of the turbine (if any)

⇒ NORMAL POOL LEVEL:-

It is the water level corresponding to the maxm quantity of water that can be stored in the reservoir for its normal working.

⇒ USEFUL STORAGE

→ Quantity of water stored b/w normal pool level and minm pool level.

→ The water stored in this zone can be used for following purposes:-

- (i) Net crop water requirement
- (ii) flood mitigation "
- (iii) Power Generation "
- (iv) Conservation of water

→ The reservoir used for more than one of the purposes is called multi purpose.

⇒ DEAD STORAGE → Water stored below the minm pool level.

→ The soul purpose of providing dead storage is to accomodate the silt deposited at the base of the reservoir and it doesnot serve any engineering purpose (mentioned above).

SURCHARGE STORAGE

- quantity of water stored b/w the Maxm pool level and the normal pool level.
- ↳ it is uncontrolled storage as it occurs only at the time of flood and cannot be used latter for any engineering purposes.

BANK STORAGE :-

- ↳ When the reservoir is full some quantity of water seeps into the permeable soil below the dam and comes out into the reservoir when the water level starts falling.
- ↳ Hence Bank storage effectively, \uparrow the Capacity of the reservoir.
- ↳ But is not considered for the design purpose.

VALLEY STORAGE

- ↳ Even Before the construction of dam certain variable amount of water is present in the valley flowing over the valley is known as Valley storage.
- ↳ Valley storage effectively, \downarrow Capacity of Reservoir.

$$\Rightarrow \boxed{\text{Gross storage} = S.S + U.S + V.S + D.S.}$$

$$\Rightarrow \boxed{\text{Effectively storage} = \frac{S.S + U.S + D.S}{\text{or}} \text{Gross storage} - V.S.}$$

$$\Rightarrow \boxed{\text{Effective storage} = U.S + S.S.} \quad \text{or } GS - VS - DS$$

Note if any engineering purpose is mentioned than D.S. will not be considered.

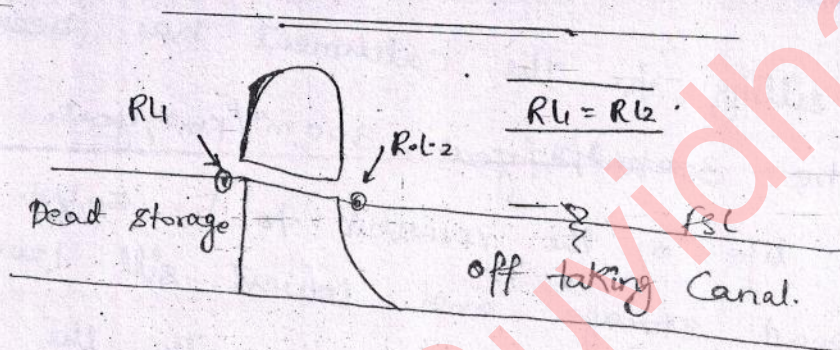
- Dead storage is generally taken as

Maxm of :-

(i) D.S. = Rate of silting \times Life of Reservoir.

(ii) D.S. = 10% of G.S. or net water demand.

(iii) Dead Storage level = full supply level of the off taking canal.



→ CAPACITY = MINIMUM of

(i) Dependable yield of Reservoir.

(ii) Gross Capacity to fulfill all the demands

Eg:-

Dependable — 550 ha.m.

G.C. — 220 ha.m.

Dependable — 180 ha.m.

G.C. — 200 ha.m.

Q The lowest portion of the capacity elevation curve of ~~the~~ ~~for~~ a proposed irrigation reservoir draining 20 km^2 of the catchment is represented by the following data:-

<u>ELEVATION (cm)</u>	<u>CAPACITY (Hac-m)</u>
600	24.2
602	26.6
604	30.3
606	36.8

The rate of silting for the catchment has been assessed to be ~~$300 \text{ km}^2/\text{year}$~~ $300 \text{ m}^3/\text{km}^2/\text{year}$.

Assuming the life of the reservoir to be 50 yrs.

Compute Dead Storage and lowest sill level, if the main Canal is 6 Km long with the bed slope of $1 \text{ in } 1000$ and the canal bed level at the tail end is 594.5 m .

if the full supply depth of the canal at the head is 80 cm and the crop water requirement is 250 Hac-m . What will be the gross Capacity of reservoir if dependable yield of the catchment is estimated to be 0.29 m .

Solⁿ ① $D-S = R.O.S \times D.L$

$$= 300 \times 20 \times 50 = 3 \times 10^5 \text{ m}^3$$

$$\frac{\text{m}^3}{\text{km}^2 \times \text{year}} \times \text{year} \times \text{km}^2 = \text{300 30 hacm.}$$

② Dead Storage = 10% G.S or Net water demand

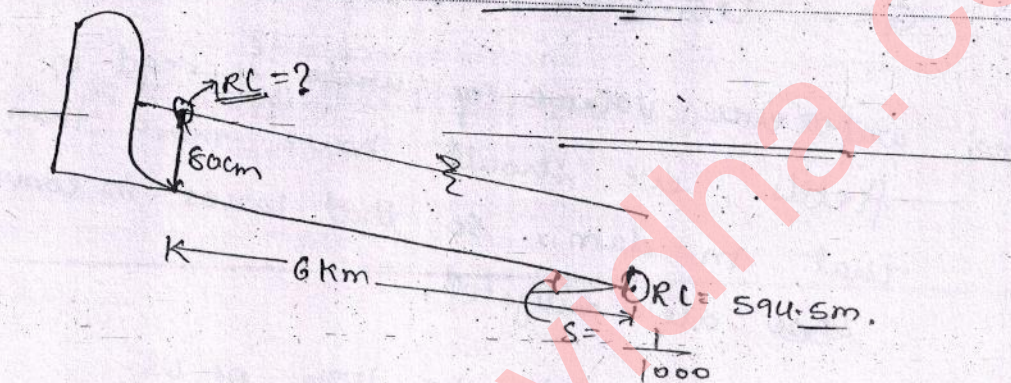
$$= 10\% \times 250 \text{ hac-m}$$

$$= \underline{25 \text{ hac-m.}}$$

③. Dead storage = full supply level of off taking Canal.

$$= 594.5 + \frac{(6 \times 1600) \times 1}{1000} + 80 \times 10^{-2}$$

$$= \underline{601.3 \text{ m.}}$$



Now, from elevation curve, D.S corresponding to RL of 601.3.

$$D.S. = 24.2 + \frac{(26.6 - 24.2) \times 1.3}{2}$$

$$= \underline{25.6 \text{ hac-m.}}$$

\Rightarrow D.S is max^m of ① ② & ③.

$$\boxed{D.S = 30 \text{ Hac-m.}}$$

\Rightarrow for lowest sill level, we need to find the elevation corresponding to the above capacity.

$$\therefore \text{Minm sill level} = 602 + \frac{2 (30 - 26.6)}{(-26.6 + 30.3)}$$

$$= \underline{603.837}$$

Gross Capacity is minm of

$$\begin{aligned}\textcircled{1} \text{ Dependable yield} &= 0.29 \text{ m} \times \text{Area} \\ &= 0.29 \text{ m} \times 20 \times 10^6 \times 10^{-4} \\ &= 580 \text{ Hacm}\end{aligned}$$

② Gross storage to meet all the demand.

$$G.S = \overset{\nearrow 0}{V.S} + D.S + U.S + \overset{\nearrow 0}{S.S}$$

(not given)

$$G.S = U.S. + D.S.$$

Now, wherever volume of water is reqd in fields, we should have more than that in dam, so that losses in conveyance ~~are~~ are mitigated.

⑩ Assume losses to be 10% of U.S.

$$\begin{aligned}\therefore G.S &= U.S + \text{losses} + D.S \\ &= 280 + \frac{15}{100} \times 280 + 30 \\ &= \underline{317.5 \text{ hac-m}}\end{aligned}$$

$$G.S = 317.5 \text{ hac-m.}$$

$$D.S = 30 \text{ hac-m.}$$

$$\begin{aligned}R.O.S &= 300 \frac{\text{m}^3}{\text{km}^2} \times \frac{20 \text{ km}^2}{\text{year}} \times 10^{-4} \\ &= \underline{0.6 \text{ hac-m}}\end{aligned}$$

$$\text{Life of Reservoir} = \frac{G.S}{R.O.S} = \frac{317.5}{0.6} = \underline{529 \text{ yrs}}$$

Note here R.O.S is assumed to be constant